SUN 日	MON —	TUE 二	wed 三	THU 四	FRI 五	SAT 六
Given that <i>p</i> is a positive number. If α and β are roots of $px^2 - x - 1 = 0$, find the value of $\frac{p}{\alpha + 1} + \frac{p}{\beta + 1} - 2p$.	如果圓柱體的高:底半徑 = n:1,在 體積不變的情況下,求n的值使圓柱 體的總表面面積為最小值。	Find $\exp\left[\frac{1}{1} + \frac{1}{2} - \frac{2}{3} + \frac{1}{4} + \frac{1}{5} - \frac{2}{6} + \frac{1}{7} \dots\right]$.	<i>P</i> , <i>Q</i> and <i>R</i> represent the points $3 + i$, -1 - i and $2i$ in Argand Diagram respectively. If $\angle PQR = \frac{\pi}{n}$, $n \in \mathbb{N}$, what is <i>n</i> ?	If $2011_{(x)} = 256$, find <i>x</i> .	An integer consists of 2010 digits, each of which is 2. What is the reminder when this integer is divided by 9?	Find <i>a</i> if <i>a</i> is a digit and the number $\overline{5a6a7a8a9a}$ is divisible by 11.
3 勞動節 廿九	2 勞動節翌日 三十	3 四月	4 初二	5 初三	6 ^{立夏}	7 初五
In an arithmetic sequence, the sum of the 2 nd term, the 7 th term and the 17 th term is 70 while the sum of the 3 rd term, the 9 th term and the 17 th term is 76. Find the 1 st term.	Find the unit digit of $7^1 + 7^2 + 7^3 + \dots + 7^{2011}$.	已知 $4^a = 5^b = 10$, 求 $\frac{5}{a} + \frac{10}{b}$ 的值。	Find the value of the expression $22\left[\cos\frac{\pi}{9} + \cos\frac{3\pi}{9} + \cos\frac{5\pi}{9} + \cos\frac{7\pi}{9}\right].$	If $C_1^n + C_2^n + \dots + C_n^n = 4095$, find <i>n</i> .	If <i>m</i> and <i>n</i> are integers, $m + n > 0$ and 21 <i>m</i> + 4 <i>n</i> = 1, find the minimum value of <i>m</i> + <i>n</i> .	Find the coefficient of x^4 in the expansion of $\frac{1}{5}$ $(1 + x + x^2 + x^3 + x^4)^5$.
8 初六	9 初七	10 佛誕 初八	11 _{初九}	12 _{初+}	13	14 +=
An amount is deposited in a bank at yearly compound interest rate 5% p.a. At least after how many years, the total amount will be a double of the principal?	兩半徑為 $(16-8\sqrt{2})$ cm 的等圓與邊長 為 h cm 的正方形兩兩相切。求 h 。	The sequence a_1, a_2, a_3, \dots satisfies $a_1 = 23, a_{20} = 20$ and if $n \ge 3, a_n$ is the arithmetic mean of the first $(n - 1)$ terms. Find a_2 .	When $f(x) = x^{2001} - 11x + k$ is divided by $(x - 1)$, the remainder is 8. Find <i>k</i> .	$\overline{AAABC} \times C = \overline{CCCDA}$, where A, B, C, D are different digits. Find $10A + C$.	In how many ways can you give six different candies to two children if each child must get exactly three pieces?	Find x. E A 77° 98° C
15	hcm 16 +∞	17	18	19	20	<i>B</i> 21 _{小滿}
If x is a real number, find the maximum value of $x^2 - 6x + 31$.	Find $\frac{1}{2} + \frac{1}{3} + \frac{2}{3} + \frac{1}{4} + \frac{2}{4} + \frac{3}{4} + \dots + \frac{7}{10}$ + $\frac{8}{10} + \frac{9}{10}$ (correct to the nearest integer).	If a person can walk towards north or east only, how many different paths are there for him to walk from point A to point C through point B ?	In the sequence $\{a_n\}$, $a_1 = 10$, $a_2 = 30$, and $3a_{n+2} = 2a_{n+1} + a_n$ for all integers $n \ge 1$. Find $\lim_{n \to \infty} a_n$.	Birthday of Abraham de Moivre . De Moivre was famous for de Moivre's Theorem, which connected complex numbers and trigonometry. He also had great contribution in probability theory.	If $x - \frac{1}{x} = 5$, find $x^2 + \frac{1}{x^2}$.	Three boxes marked 1, 2 and 3. How many ways are there putting 12 identical balls into these boxes such that each box contains at least the number of balls marked on the box?
22 =+	23		25	26	27	28
Given that $\cos^2 1^\circ + \cos^2 2^\circ + \cos^2 3^\circ + \dots$ + $\cos^2 89^\circ + \cos^2 90^\circ = x$. Find y if 3y = 2x - 2.	How many parallelograms are there in the following diagram?	(x, y) is a point in the shaded region (including the boundary) in the diagram. Find the maximum value of $3x + 2y$. 5x + 6y = 60 2x + y = 20 x 31 ± 1	Q: lf 1=5, 2=25, 3=125, 8 A: 1!	A 4=525, what is 5 equal to?		MAY 五月 2011

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